by Andrea "6502" Griffini

unsigned



non-negative

The difference of two non-negative numbers always gives a non-negative result

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NO!! ... for example 3 - 4 = -1

Adding a possibly negative number to a non-negative number always gives a non-negative result

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NO!! ... for example -4 + 3 = -1

A non-negative number can be smaller than -1

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No non-negative number can be smaller than -1. That is basically the **DEFINITION** of non-negative.

HOWEVER...

The difference of two **unsigned** numbers always gives an **unsigned** result

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> Yes!! ... for example (32 bit) $3 - 4 = 4,294,967,295 = 2^{32}-1$

Adding a possibly negative number to an unsigned number always gives an unsigned result

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YES!! ... for example (32 bit) -4 + 3 = 4,294,967,295 = 2^{32} -1

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YES!! ... for example 4 < -1 Actually **MOST** of them are

But but but... it's because of "overflow"

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NO!

Overflow is <u>undefined behavior</u>, and happens on values too large to be represented correctly by the platform, values that correct programs don't use.

The "strange" behavior of **unsigned** is instead very <u>well defined</u> and happens around zero, probably the most common value used in programming.

unsigned



non-negative

unsigned



modulo integer

unsigned



modulo integer (element of \mathbb{Z}/n)



https://en.wikipedia.org/wiki/Modular_arithmetic

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																	""" <mark> </mark>	
Overflow	128	-112	-96	-80	-64	-48	-32	-16	0	+16	+32	+48	+64	+80	+96	+112	+127	Overflow

signed char (8 bit)

Why is wrong using **unsigned** for **size_t**?

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- **size_t** was meant to be the "size" of something
- "size" is conceptually a non-negative number
- unsigned is instead a modulo integer

Why is wrong using **unsigned** for **size_t** for someone that *doesn't care about philosophy*?

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for (int i=0; i<pts.size()-1; i++) {
 drawLine(pts[i], pts[i+1]);</pre>

}

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}

When **pts** is empty this code is UB (probably segfault)

for (int i=0; i<pts.size()-1; i++) {
 drawLine(pts[i], pts[i+1]);</pre>

}

Using size_t instead of int for
index i would NOT solve the issue.

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Using size_t instead of int for
index i would NOT solve the issue.
It would just shut up the warning.

for (int i=0; i<pts.size()-1; i++) {
 drawLine(pts[i], pts[i+1]);</pre>

}

The problem is pts.size()-1, not the index. The problem is 0-1 = 4294967295

for (int i=0; i<pts.size()-1; i++) {
 drawLine(pts[i], pts[i+1]);</pre>

}

A fix could be the use of ...; i+1<pts.size();... instead of ...; i<pts.size()-1;...

for (int i=0; i<pts.size()-1; i++) {
 drawLine(pts[i], pts[i+1]);</pre>

}

When working with **unsigned** types **A<B-1** is **NOT** the same as **A+1<B** even for very common values like 0.

for (int i=0, n=pts.size(); i<n-1; i++) {
 drawLine(pts[i], pts[i+1]);</pre>

}

My *personally preferred* approach is to just get rid of **unsigned** types as soon as possible, and work with plain **int**.

What are **unsigned** types good for?

- A) If you actually <u>need</u> the modular arithmetic (e.g. cryptography) and you understand the implications
- B) If you need to <u>use all the bits</u> explicitly (e.g. b₇ = (1<<7) = 128, but as value is too big for a 8-bit <u>signed char</u>)

"

The unsigned integer types are ideal for uses that treat storage as a bit array. Using an unsigned instead of an int to gain one more bit to represent positive integers is almost never a good idea. Attempts to ensure that some values are positive by declaring variables unsigned will typically be defeated by the implicit conversion rules.

Bjarne Stroustrup

Using an **unsigned** type for **size_t** for standard containers size was a design mistake. The price to pay (wrong semantics) was too high for the little gain (one extra bit).

Unfortunately it cannot be fixed now because of backward compatibility.

What *can* be done is *avoid repeating* the same mistake again in the future.

When designing new classes or new API please don't be fooled by the *name* into thinking that **unsigned** means non-negative: for the C++ language **unsigned** means modulo, or member of \mathbb{Z}/n .